# 9. TRANSMISSION OF SOUND THROUGH STRUCTURES

# 9.1 Basic Definitions

A typical noise control application involves a combination of absorption of sound and transmission of sound energy by a variety of airborne and stucture-borne paths.

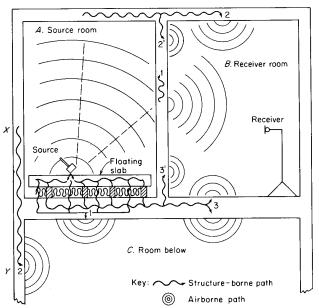


Figure 1. Sound transmission paths between a room containing a noise source and adjacent rooms

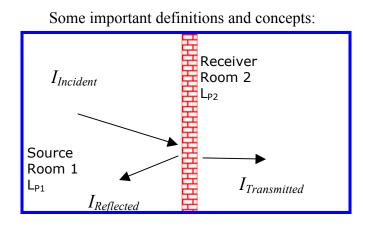


Figure 2. When sound strikes a partially absorbing partition between two rooms, some is reflected back into room, some transmits into adjacent room **Transmission Coefficient**  $\tau$ , for walls

$$\tau = \frac{I_{Transmitted}}{I_{Incident}}$$

( $\tau$  is a frequency-dependent physical property of the material)

#### Sound Transmission Loss

STL = the log ratio of the incident energy to the transmitted energy

 $STL = 10 \log 1/\tau$  Equation 1

A tabulation of transmission loss for common materials is included in the Appendix to this section (from Table 8.1, ref Bies and Hansen). A perfectly reflecting material has a transmission coefficient of 0 (STL =  $\infty$ ), while the transmission coefficient of an opening is 1.0

(STL=0). It should be noted that typical materials tend to be better at blocking higher frequencies. Transmission loss can be measured directly (but not easily) by mounting a test panel between two reverberation rooms and measuring the sound pressure levels on each side.

Other commonly used metrics to describe sound transmission include:

- **NR** = Noise Reduction =  $L_{P1}$ - $L_{P2}$  (easy to measure) **Note: NR**  $\neq$  **STL** !
- IL = Insertion Loss = change in sound levels with and without the barrier or treatment in place (easy to measure)

#### 9.2 Relation Between L<sub>P1</sub> and L<sub>P2</sub>

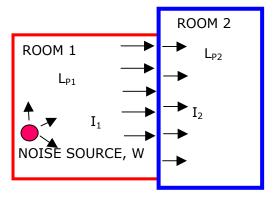


Figure 3. Sound transmission between two rooms, the area of the common wall =  $S_W$ 

The sound power incident on the left side of the wall is, (assuming a diffuse sound field):

 $W_I = I_I S_W$   $S_W =$  Area of the common wall  $I_I =$  Intensity incident on wall  $I_2 =$  Intensity transmitted to room 2

and since  $I_1 = \frac{1}{4}$  the intensity in a plane wave, the sound power striking the left side of the wall is:

$$W_1 = I_1 S_W = \frac{\left\langle p_1^2 \right\rangle}{4\rho c} S_W$$

In the receiving room (Room 2), we know that whatever power comes through the common wall, must eventually be absorbed in that room. We will call the power coming through the wall  $W_2$ :

 $W_2 = I_2 S_2 \alpha_2$  where  $S_2$  = total surface area of receiving room  $\alpha_2$  = room average absorption for receiving room

and assuming a diffuse field in receiving room,  $I_2 = \langle p_2^2 \rangle S_2 \alpha_2 / (4\rho c)$ 

Using the definition of  $\tau$ :

$$\tau = \frac{I_2}{I_1} = \frac{W_2}{W_1} = \frac{\langle p_2 \rangle^2 S_2 \alpha_2}{\langle p_1 \rangle^2 S_W}$$

Take the log and rearrange:  $STL = 10 \log_{10} \left(\frac{1}{\tau}\right) = 10 \log_{10} \frac{\langle p_1 \rangle^2 / p_{REF}^2}{\langle p_2 \rangle^2 / p_{REF}^2} + 10 \log_{10} \frac{S_W}{S_2 \alpha_2}$ 

or more simply:  $STL = L_{P1} - L_{P2} + 10\log_{10}\frac{S_W}{S_2\alpha_2}$  Equation 2

Now we have a very useful expression that will tell us the sound level in the receiver room 2.

#### 9.3 Sound Levels in Source Room

Meanwhile, back in the noise source room, Room 1:

$$L_{P1} = L_W + 10 \log_{10} \left[ \frac{Q_\theta}{4\pi r^2} + \frac{4}{R} \right] \qquad \qquad R = \frac{S\overline{\alpha_{ST}}}{1 - \overline{\alpha_{ST}}}$$

If we neglect the direct field portion, (ok approximation if room is not too absorptive and you are far from the noise sources), then:

$$L_{P1} = L_W + 10\log_{10}\frac{4}{R}$$

Substituting into equation 2:

$$L_{W} + 10\log_{10}\frac{4}{R} + 10\log_{10}\frac{S_{W}}{S_{2}\alpha_{2}} - STL = L_{P2}$$
 Equation 3

Look at trends to see if this equation makes physical sense:

 $L_{P2}$  decreases if R increases (more absorption in room 1) if STL increases (more transmission loss, i.e. a better wall) if  $\alpha_2$  increases (more absorption in room 2) if Sw decreases (less common area, transmitted power is proportional to Intensity striking the wall times wall area)

**HW Problem 1.** In addition to a barrier material, an absorbing layer (a=.90) is to be used on the wall between a source room and a receiver room. The barrier material has an absorption coefficient of a=.10. The TL of the composite wall is 43. Each room is a 5 meter cube. What is the difference between placing the absorbing layer on the source side versus the receiver side of the wall? (answer: each case results in the same levels in room 2, however putting it on the inside also decreases the level inside room 1)

#### 9.4 Noise Enclosures

An enclosure around a noise source is just a special case of the two room problem, where the enclosure is one room, and the surrounding space is the second room (Figure 4). It can be shown that the insertion loss for this case is:

$$\begin{split} IL &= L_{P2}' - L_{P2} \cong 10 \log \frac{\alpha}{\tau} & \text{Equation 4} \\ \text{Where: } L_{P2}' &= \text{SPL without enclosure} \\ L_{P2} &= \text{SPL with enclosure} \\ \alpha &= \text{effective absorption coefficient within enclosure} \\ \tau &= \text{effective transmission coefficient} \\ \text{of enclosure walls} \end{split}$$

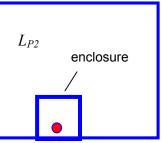


Figure 4. Enclosure around a noise source

**H.W. Problem 2:** Verify equation 4. List all assumptions that are made in the derivation

**H.W. Problem 3:** A 1x1x1 meter enclosure is placed around a noise source in a 5x5x5meter room. In addition to a barrier material, an absorbing layer ( $\alpha$ =.90) is used on the walls of the enclosure. The TL of the composite wall is 43. The barrier material has an absorption coefficient of  $\alpha$ =.10. Should the absorbing layer be on the outside or inside surface of the enclosure for maximum effect? (answer: putting it on the inside results in 8 dB lower levels in room)

# 9.5 What is the difference between an absorbing material and a barrier material?

The two important noise-related quantities of a material are:

- Ability to absorb acoustic energy  $\alpha$
- Ability to reflect or block sound energy STL or  $\tau$

Good absorbing materials allow sound pressure fluctuations to enter their surface and dissipate energy by air friction. The are generally porous and lightweight, such as fiberglass, open cell foam, or acoustical ceiling tiles. Good barrier materials reflect sound, and are dense and nonporous (concrete, lead, steel, brick,glass, gypsum board). In general, a single homogeneous material will not be both a good absorber and a barrier. As shown in Table 1, fiberglass insulation makes a terrible barrier, and a sealed concrete wall has virtually no absorption. To get the best of both worlds, it is common to see an absorbing layer laminated to a barrier material, for instance a layer of gypsum board and a layer of fiberglass, or loaded vinyl laminated to open cell foam.

Material	Absorption $\alpha$	Transmission $\tau$
Concrete Cinder Block (painted)	.07 very low	.0001 (STL=40) high
2" Fiberglass	.90 high	~1.0 very low

Table 1. Comparison of various material noise properties at 1000 Hz

#### 9.6 Sound Transmission Class

Sound Transmission Class (STC) is a single number rating of transmission loss which is popular with architects. It is obtained by fitting the closest standard contour to the actual TL vs frequency data for the material (see Figure 5, ref Bies and Hansen). The STC is determined by comparing the set of transmission losses at all 16 1/3 octave center frequencies to a set of standard contour in such a way that in no event is the TL curve more than 8 dB below the STC contour at any frequency, and the sum of the deviations of the TL values which are below the contour shall not exceed 32 dB. The highest contour to which the specimen TL curve can satisfy these requirements is used as the STC curve. Table 2 relates STC with the hearing quality. The STC of various composite frame wall constructions is shown in Figure 15.6 in the Appendix. The standard STC contours are shown in Table 3.

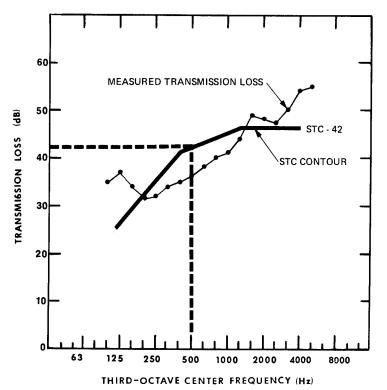


Figure 5. STC rating is determined by adjusting the standard contours to the measured TL values and reading the contour intercept at 500 Hz.

Sound Transmission Class (STC)	Hearing Quality Through Wall
25	Normal speech understood quite easily and distinctly through wall
30	Loud speech understood fairly well, normal speech heard but not understood
35	Loud speech heard but not intelligible
40	Onset of "privacy"
42	Loud speech audible as a murmur
45	Loud speech not audible, 90% of statistical population not annoyed
50	Very loud sounds such as musical instruments or a stereo can be faintly heard, 99% of population not annoyed

Table 2. Typical hearing quality for a wall of rated sound transmission class (STC)

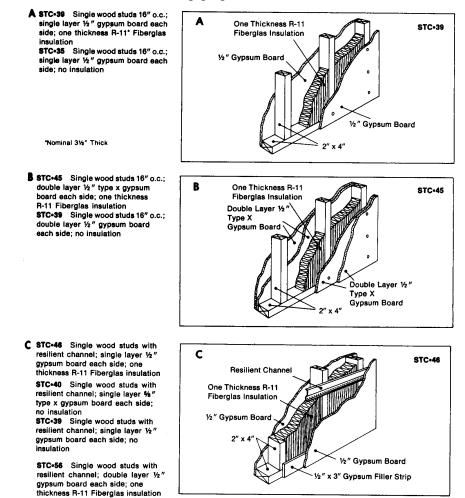
Table 3. Standard STC contours (note: a particular contour is identified by its TL value at 500 Hz) from ASTM E413

	(From ASTM E413) Hz 125 160 200 250 315 400 500 630 800 1,000 1,250 1,600 2,000 2,500 3,150															
Hz	125	160	200	250	315	400	500	630	800	1,000	1,250	1,600	2,000	2,500	3,150	4,000
	44	47	50	53	56	59	60	61	62	63	64	64	64	64	64	64
	43	46	49	52	55	58	<b>59</b>	60	61	62	63	63	63	63	63	63
	42	45	48	51	54	57	58	59	60	61	62	62	62	62	62	62
	41	44	47	50	53	56	57	58	59	60	61	61	61	61	61	61
	40	43	46	49	52	55	56	57	58	5 <b>9</b>	60	60	60	60	60	60
	39	42	45	48	51	54	55	56	57	58	5 <b>9</b>	59	5 <b>9</b>	5 <b>9</b>	5 <b>9</b>	59
	38	41	44	47	50	53	54	55	56	57	58	58	58	58	58	58
	37	40	43	46	49	52	53	54	55	56	57	57	57	57	57	57
	36	39	42	45	48	51	52	53	54	55	56	56	56	56	56	56
	35	38	41	44	47	50	51	52	53	54	55	55	55	55	55	55
	34	37	40	43	46	49	50	51	52	53	54	54	54	54	54	<b>54</b>
ŝ	33	36	39	42	45	48	49	50	51	52	53	53	53	53	53	53
,õ	32	35	38	41	44	47	48	49	50	51	52	52	52	52	52	52
'n	31	34	37	40	43	46	47	48	49	50	51	51	51	51	51	51
Sound Transmission Loss	30	33	36	39	42	45	46	47	48	49	50	50	50	50	50	50
imi	29	32	35	38	41	44	45	46	47	48	49	49	49	49	49	49
ans	28	31	34	37	40	43	44	45	46	47	48	48	48	48	48	48
Ë	27	30	33	36	39	42	43	44	45	46	47	47	47	47	47	47
pr	26	29	32	35	38	41	42	43	44	45	46	46	46	46	46	46
Ino	25	28	31	34	37	40	41	42	43	44	45	45	45	45	45	45
02	24	27	30	33	36	39	40	41	42	43	44	44	44	44	44	44
	23	26	29	32	35	38	39	40	41	42	43	43	43	43	43	43
	22	25	28	31	<b>34</b>	37	38	39	40	41	42	42	42	42	42	42
	21	24	27	30	33	36	37	38	39	40	41	41	41	41	41	41
	20	23	26	29	32	35	36	37	38	39	40	40	40	40	40	40
	19	22	25	28	31	34	35	36	37	38	39	39	39	39	3 <b>9</b>	39
	18	21	24	<b>27</b>	30	33	34	35	36	37	38	38	38	38	38	38
	17	20	23	26	2 <b>9</b>	32	33	34	35	36	37	37	<b>37</b>	37	37	37
	16	19	22	25	28	31	32	33	34	35	36	36	36	36	36	36
	15	18	21	24	27	30	31	32	33	34	35	35	35	35	35	35
	14	17	20	23	26	29	30	31	32	33	34	34	34	34	34	34

Note: A particular contour is identified by its TL value at 500 Hz. (From ASTM E413)

#### 9.7 Multi-Layer Panels - Constructions for High STC

Examples of multiple layer constructions to achieve high STC are shown in the following figures. The fundamental principles are to minimize any direct mechanical connection between the two surfaces of the wall, and to have no openings or leaks. Problem areas for leaks are air vents, around doors, electrical outlets or pipe penetrations.



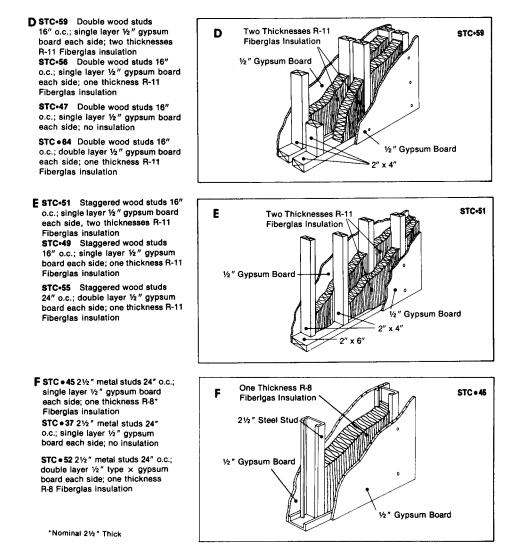


Figure 6 Construction details of frame walls for high STC (courtesy of Owens Corning)

Similar considerations apply to floors and ceilings. Additionally, floors are rated by their Impact Insulation Class, (IIC). Resilient layers, or carpet are used to insulate the transmission of impact noise (such as footsteps). Layered floor constructions are shown in Figure 7.

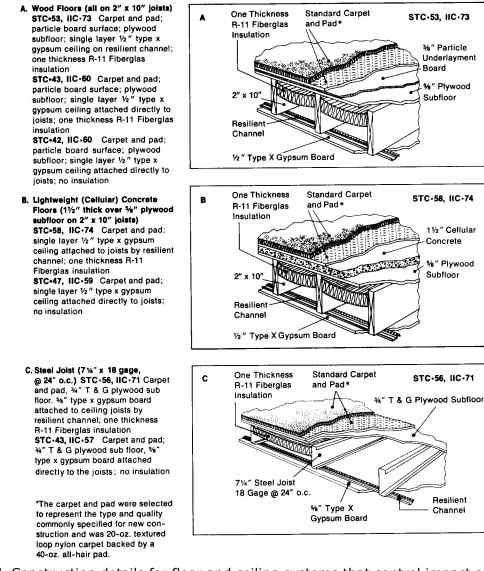


Figure 7 Construction details for floor and ceiling systems that control impact sound (Courtesy of Owens Corning)

## 9.8 Composite Walls

If a wall or partition is not of uniform construction, its effective transmission loss can be determined by summing over the n different surfaces in the same manner that we determined a room-averaged absorption coefficient:

 $\tau_{composite} = \frac{\sum_{i=1}^{n} \tau_i S_i}{\sum_{i=1}^{n} S_i}$  Equation 5

where  $\tau_i$  = transmission coefficient of i<sup>th</sup> surface, having area  $S_i$ 

Example: a wall with door and window

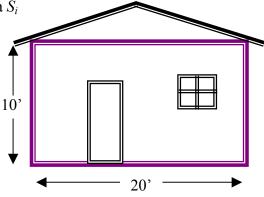
Surface	Area	STL	τ
Door	3' x 7'=21 ft <sup>2</sup>	20	.01
Window	2' x 4'= 8 ft <sup>2</sup>	30	.001
Wall (8" concrete)	200-29=171 ft <sup>2</sup>	50	.00001

STL for the composite wall = (29.6)

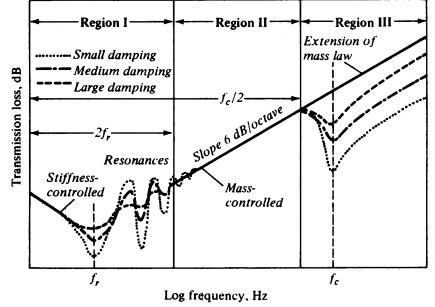
What if you use a wall material with STL = 40? (29.3)

What if there is a vent in the wall of 1  $ft^2$ ? (23)

What conclusions can you draw from this example?



## 9.9 Transmission Through Panels



The transmission loss of an infinite homogeneous panel is shown in Figure 8.

Figure 8. Theoretical Transmission Loss for an infinite homogeneous panel

STL or  $\tau$  are highly dependent on frequency. The STL behavior can be divided into three basic regions. In Region I, at the lowest frequencies, the response is determined by the panel's static stiffness. Depending on the internal damping in the panel, resonances can also occur which dramatically decrease the STL. Calculation of natural frequencies and modes shapes for panels is discussed in Section 9.9.

In Region II (mass-controlled region), the response is dictated by the mass of the panel and the curve follows a 6dB/octave slope. Doubling the mass, or doubling the frequency, results in a 6 dB increase in transmission loss.

In this region, the normal incidence transmission loss can be approximated by:  $\begin{bmatrix} 1 & 1 \\ 2 & 2 \end{bmatrix}$ 

$$TL_0 = 10 \log \left[ 1 + \left( \frac{\omega \rho_s}{2\rho c} \right)^2 \right] \qquad \text{dB} \qquad \text{Equation 6}$$

where:  $\omega$  = sound frequency (rad/sec)

 $\rho c$  =characteristic impedance of medium (415 rayls for air at standard temperature and pressure)

 $\rho_S$ =mass of panel per unit surface area

The random incidence transmission loss is:

$$TL \approx TL_0 - 10\log(.23TL_0)$$
 dB Equation 7

In Region III, coincidence between the sound wavelength and the structural wavelength again decrease the STL. Coincidence is further described in Section 9.10.

The actual behavior of some common building materials, shown in Figure 9, follows the same basic trends. It is most desirable to use a barrier material in its mass-controlled region.

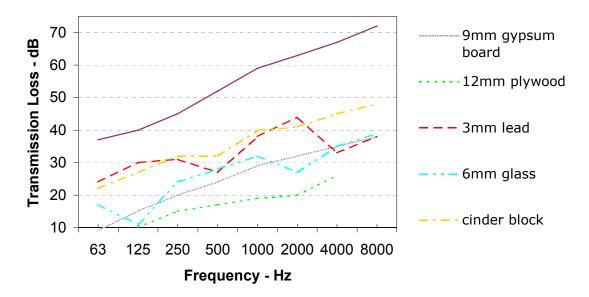


Figure 9. Sound Transmission Loss of Typical Building Materials (data from Table 8.1, Bies and Hansen)

Properties which make for a good barrier material include:

High density (gives high STL in mass-controlled region)

Low bending stiffness (ideally want resonant frequencies below range of human hearing) High internal damping (prevents resonant modes from "ringing")

The ideal material for high STL is sheet lead, which has both high density and low stiffness. Unfortunately, due to environmental health concerns, lead can no longer be used. For the same reasons, gypsum board is a good barrier material and is more effective than plywood (which is stiffer and not as dense as gypsum board). Loaded vinyl, or vinyl impregnated with metal filings, is a common material for high STL.

#### 9.10 Panel Natural Frequencies and Mode Shapes

Knowledge of a panel's natural frequencies and mode shapes is extremely helpful. It allows us to predict and hopefully avoid having excitation frequencies (harmonic forces generated by a machine) coincide with structural resonances. Knowledge of the mode shape is useful because:

- provides guidance for stiffening a structure in order to change its natural frequencies;
- provides guidance for adding laminated damping material to limit the response at resonance
- the mode shape determines the radiation efficiency of the panel if the structural wavelength is larger than the acoustic wavelength, the panel will radiate very efficiently (discussed further in section 9.10)

Natural frequencies and mode shapes can be predicted by closed form solution of Euler's thin plate approximation for some regular geometries including:

- a) beams
- b) rectangular plates
- c) triangular plates
- d) circular plates
- e) rings

The natural frequencies of simply-supported, rectangular, thin, isotropic plate are described by a simple equation. Analytical solutions for other boundary conditions are not nearly so simple.

$$f(n_x, n_y) = \frac{\pi}{2} \sqrt{\frac{Eh^2}{12\rho}} \left[ \left( \frac{n_x}{L_x} \right)^2 + \left( \frac{n_y}{L_y} \right)^2 \right] \text{Eq. 8}$$
where:  
 $E = \text{Young's modulus}$   
 $h = \text{plate thickness}$   
 $\rho = \text{mass density/unit volume}$   
 $n_x = x \text{ mode index, # of half sine waves along x axis}$   
 $n_y = y \text{ mode index, # of half sine waves along y axis}$   
 $Lx = \text{plate width in x direction}$   
 $Ly = \text{plate width in y direction}$ 

The modeshape of the simply supported plate consists of sinusoidal segments:

$$z(x, y) = A \sin \frac{n_x \pi x}{L_x} \sin \frac{n_y \pi y}{L_y}$$
 Equation 9

where z(x,y) is the transverse displacement at position (x,y)

**Example:** Calculate the natural frequency of the 1,2 mode of a 30" square steel plate which is 0.125" thick. Material properties for steel:  $E = 30e6 \text{ lb/in}^2 \rho = .283/386 \text{ lb sec}^2/\text{in}^4$ 

Answer: 
$$f_{1,2} = \frac{\pi}{2} \sqrt{\frac{30e6(.125)^2}{12(.283/386)}} \left[ \left(\frac{1}{30}\right)^2 + \left(\frac{2}{30}\right)^2 \right] = 63.7 \text{ Hz}$$

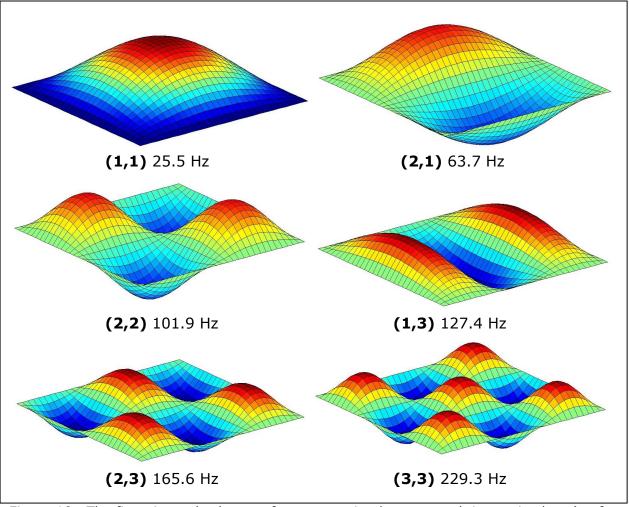


Figure 10. The first six mode shapes of a square, simply supported, isotropic plate (surface plots from MATLAB) Plate dimensions: 30" square, 1/8" thick, steel

A plate is an example of a continuous system, which has an infinite number of mode shapes and natural frequencies. The lowest frequency is commonly called the fundamental frequency. The higher natural frequencies are **not** integer multiples of the fundamental frequency. The first 6 mode shapes of a square simply supported plate are illustrated in Figure 10. The modes are numbered according to how many half sine waves are found in each direction. Hence, the 1,2 mode would have one  $\frac{1}{2}$  sine wave in the x-direction and two  $\frac{1}{2}$  sine waves in the y-direction. The locations (in this case straight lines) where the displacement is always zero are called **nodes**. Note that the square plates have so-called "degenerate" modes, where two mode shapes (for example the 2,1 and 1,2) have exactly the same frequency. In real life, nothing is ever perfectly square, so you end up with two very closely spaced modes.

A very complete compilation of formulas and tables for calculating the natural frequencies of a variety of shapes can be found in Section 3.4 of NASA Sonic and Vibration Environments for Ground Facilities – A Design Manual, Wylie Labs NAS8-11217.

For complicated geometries, discretized numerical solutions, such as Finite Element Analysis (FEA) are commonly used. As an example, the ANSYS program was used to predict the frequencies and mode shapes of a clamped edge 24" x 30" x .125" plate. 80 thin plate elements were used. The predicted frequencies are compared to experimental data, and to the analytical solution (using the NASA tables), in Table 3. Note that FEA solutions typically over-predict the natural frequencies. The agreement improves if more elements are used to discretize the structure.

Table 3.	Comparison of experimental,	FEA (ANSYS program),	and analytical results for a
30″ <u>x 2</u> 4	" x .125" steel plate with clan	nped edges	

Mode	1,1	2,1	1,2	3,1							
Experimental Natural Freq - Hz	62.5	95	125	160							
FEA - Hz	64.5	112	148	190							
Analytical - Hz	63	111	144	188							

Experimental methods to find natural frequencies and mode shapes include modal analysis, where a known input force is applied by a shaker, or an impact, and the frequency response is measured using FFT techniques. Mode shapes can also be determined visually by an antique, but clever technique - Chladni patterns. In this method, sand spread on a plate, which is vibrating at resonance, collects at the nodal lines (see Figure 11).



Figure 11. Chladni patterns for violin top and back plates (Cover of Scientific American Magazine, October 1981)

## 9.11 Coincidence Effects

Getting back to Region III of Figure 6, we see a pronounced dip in the transmission loss curve. This occurs when the wavelength of sound in air coincides with the structural wavelength. At this frequency (and above), efficient radiation of sound occurs. For a homogeneous, infinite plate, this "critical frequency" is:

 $f_{c} = \frac{5.2e10}{h} \frac{\rho}{E}$ Hz Equation 10 where:  $\rho$  = weight density (lb/in<sup>3</sup>) h = plate thickness (inches) E = elastic modulus (psi)

For glass, steel or aluminum (all have similar  $\rho/E$ ), this simplifies to:  $f_c \approx \frac{500}{h}$ 

For plywood  $f_c \approx \frac{790}{h}$ . Drywall typically exhibits a 5-10 dB dip in TL at ~500 Hz.

The ideal barrier material has high density and low bending stiffness (i.e. very limp). In the old days, lead sheet or leaded vinyl were widely used. Today, loaded vinyl (impregnated with non-lead metal) is a good choice. Dense, limp materials tend to push the coincidence frequency upward and out of the range of interest. Coincidence dips are a problem for materials with low internal damping and high bending stiffness (such as metals or glass).

The radiation efficiency of a simply supported square plate in the vicinity of coincidence is shown in Figure 10 (ref. Wallace, 1972).

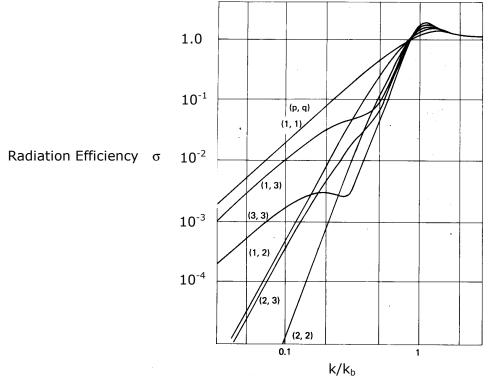


Figure 12. Radiation efficiency for modes of a simply supported square panel

Radiation efficiency,  $\sigma$  is defined as the ratio of the actual energy radiated (*W*) by the structure to the amount of energy that would be radiated by a circular piston of the same area (*S*) and having the same mean square normal velocity  $\langle V_N^2 \rangle$ , and having a diameter much larger than the wavelength in air:

$$\sigma = \frac{W}{\frac{1}{2}\rho c S \left\langle V_N^2 \right\rangle}$$

Equation 11

The horizontal axis of Figure 12,  $k/k_b$ , is the ratio between structural and acoustic wave numbers (ratio of structural wavelength to the acoustic wavelength). The plate dimensions are *a*,*b* and *n*,*m* are the number of  $\frac{1}{2}$  sine waves in each plate dimension.

$$k = \omega/c = \frac{2\pi}{\lambda_{air}}$$
  $k_b = \sqrt{\left(\frac{n\pi}{a}\right)^2 + \left(\frac{m\pi}{b}\right)^2} = \frac{2\pi}{\lambda_{plate}}$  Equation 12

All modes become very efficient radiators near coincidence. Below coincidence, some radiation still occurs, predominantly from the corners and edges of the plate as shown in Figure 13. Adjacent peaks and valleys on the surface cancel each other, leaving just the edges to radiate. The odd modes (such as 1,1,1,3...) radiate better that the even modes (2,2,2,4...) because the uncancelled portions are in phase with each other (two monopoles).

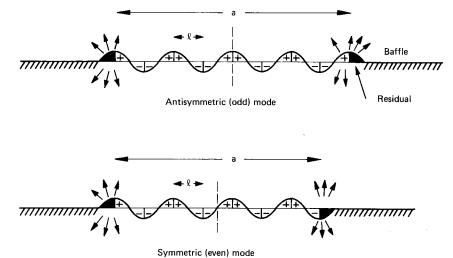


Figure 13. Local cancellation on vibrating plates below coincidence, top) odd mode – uncancelled segments are in phase – two monopoles; bottom) even mode – uncancelled segments are out of phase, forming a dipole which is not as efficient a radiator as two monopoles

## 9.12 Damping of Panels

Elastomeric layers are commonly laminated to vibrating structures to provide additional damping. They dissipate energy when then are flexed (or bent). Automobile undercoating is a good example of materials of this type. Adhesive backed damping sheets are commercially available. The effectiveness of the damping layer is quantified by its loss factor,  $\eta$ ,

The loss depends on the thickness of the damping layer relative to the thickness of the structure as seen in Figure 15. These materials tend to be highly sensitive to temperature.

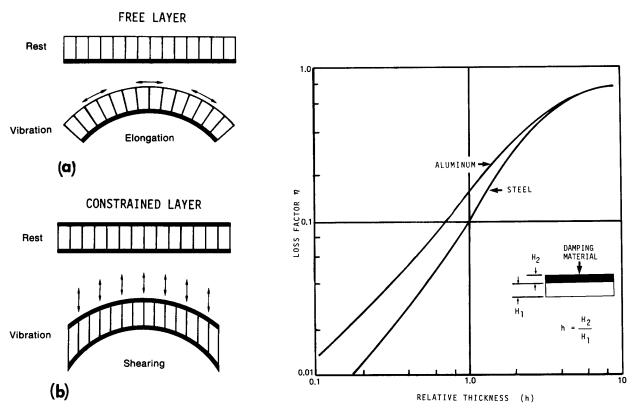


Figure 14. The different stress states in free layer and constrained layer damping: a) tensile strain, predominantly at the outer edge b) shear strain, uniform throughout layer

# Figure 15. The effect of free layer damping thickness on the loss factor of aluminum and steel plates at 20 degrees C.

#### Design Guidelines for Panel Damping:

- A damping layer is effective if the structure is vibrating near resonance **and** the mode is an efficient radiator
- For  $f > f_c/2$ , place damping at regions of maximum amplitude (where structure is undergoing the most bending). Placing damping in the vicinity of a structural node will have little effect since no bending (no flexure) is occurring there.
- For  $f \le f_c/2$ , place damping at mounting and structural attachment points

- Cover 40% of structural wavelength free layer damping
- Cover 60% of structural wavelength constrained layer damping
- Free layer guidelines:

A thin layer, <sup>1</sup>/<sub>2</sub> t or 10% of weight will eliminate the "ring"

Use 2 to 3 times the thickness of the structure to achieve loss factor  $\eta$  from .3-.6

# **Table 8.1** Representative values of airborne sound transmission loss for some common structures and materials.

	Thick- ness	Super- ficial weight (kg m <sup>-2</sup> )	Octave band center frequency (Hz)									
Panel construction	(mm)		63	125	250	500	1,000	2,000	4,000	8,000		
Panels of sheet materials								1.		ş		
1.5 mm lead sheet	1.5	17	22	28	32	33	32	32	33	36		
3 mm lead sheet	3	34	24	30	31	27	38	44	33	38		
20 g aluminum sheet, stiffened	0.9	2.5	8	11	10	10	18	23	25	30		
22 g galvanized sheet steel	0.55	6	3	8	14	20	23	26	27	35		

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	Thick-	Super- ficial		ive ba	ve band center frequency (Hz)						
Panel construction	ness (mm)	weight (kg m <sup>-2</sup> )	63	125	250	500	1,000	2,000	4,000	8,000	
20 g galvanized sheet steel	0.9	7	3	8	14	20	26	32	38	40	
18 g galvanized sheet steel	1.2	10	8	13	20	24	29	33	39	44	
16 g galvanized sheet steel	1.6	13	9	14	21	27	32	37	43	42	
18 g fluted steel panels stiffened at edges, joints sealed	1.2	39	25	30	20	22	30	28	31	31	
corrugated asbestos sheet, stiffened and sealed	6	10	20	25	30	33	33	38	39	42	
chipboard sheets on wood framework	19	11	14	17	18	25	30	26	32	38	
fiberboard on wood framework	12	4	10	12	16	20	24	30	31	36	
plasterboard sheets on wood framework	9	7	9	15	20	24	29	32	35	38	
plywood sheets on wood framework	6	3.5	6	9	13	16	21	27	29	33	
plywood sheets on wood framework	12	7		10	15	17	19	20	26		
hardwood (mahogany)	50	25	15	19	23	25	30	37	42	46	
panels woodwork slabs, upplastered	25	19	0	0	2	6	6	8	8	10	
unplastered woodwork slabs, plastered (12 mm on	50	75	18	23	27	30	32	36	39	43	
each face)	L	25		17	15	20	24	28	77		
plywood	6 18	3.5 10		17 24	15 22	20 27	24 28	28 25	27 27		
plywood	18 3	10 7.3		24 22	22 23	27	28 31	25 35	42		
lead vinyl curtains	3 2	7.3 4.9		22 15	23 19	25 21	28	33	42 37		
lead vinyl curtains	2	7.7		15	17	<i>6</i> 1	<b>.</b>	55	υ,		
Panels of sandwich constru	uction		-							l	
machine enclosure; panels		25	{20  25	21	27	38		58	67	66	
16 g steel + damping with 100 mm of glass- fiber, covered by 22 g	100	<i>L3</i>	<b>\</b> 25	27	31	41	51	60	65	66	
perforated steel									_		
as above, but 16 g steel replaced with 5 mm steel plate	100	50	31	34	35	44	54	63	62	68	
1.5 mm lead between two sheets of 5 mm plywood	11.5	25	19	26	30	34	38	42	44	47	
9 mm asbestos board between two sheets of	12	37	16	22	27	31	27	37	44	48	
18 g steel											

	Thick- ness	Super- ficial weight		Oct	tave b	and co	enter fr	equenc	:y (Hz)	а 1 — а
Panel construction	(mm)	$(\text{kg m}^{-2})$	63	125	250	500	1,000	2,000	4,000	8,000
compressed straw	56	25	15	22	23	27	27	35	35	38
between two sheets of 3 mm hardboard			•							
Single masonry walls										
single leaf brick,	125	240	30	36	37	40	46	54	57	59
plastered both sides	255	480	34	41	45	48	56	65	69	72
	360	720	36	44	43	49	57	66	70	72
solid breeze or clinker, plastered (12 mm both sides)	125	145	20	27	33	40	50	58	56	59
solid breeze or clinker blocks, unplastered	75	85	12	17	18	20	24	30	38	41
hollow cinder concrete blocks, painted (cement base paint)	100	75	22	30	. 34	40	50	50	52	53
hollow cinder concrete blocks, unpainted	100	75	22	27	32	32	40	41	45	48
"Thermalite" blocks	100	125	20	27	31	39	45	53	38	62
glass bricks	200	510	25	30	35	40	49	49	43	45
plain brick	100	200		30	36	37	37	37	43	
Double masonry walls						<u>×</u>				
280 mm brick, 56 mm cavity, strip ties, outer faces plastered 12 mm	300	380	28	34	34	40	56	73	76	78
280 mm brick, 56 mm cavity, expanded metal	300	380	27	27	43	55	66	77	85	85
ties, outer faces plastered 12 mm										
Stud partitions										
50 mm × 100 mm studs, 12 mm insulating board both sides	125	19	12	16	22	28	38	50	52	55
50 mm × 100 mm studs, 9 mm plasterboard and 12 mm plaster coat both	142	60	20	25	28	34	47	39	50	56
sides										
Single glazed windows		${\cal L} = - {\cal N}^{-1}$								
single glass in heavy	6	15	17	11	24	28	32	27	35	39
frame	8	20	18	18	25	31	32	28	36	39
	9	22.5	18	22	26	31	30	32	39	43

	Thick- ness	Super- ficial weight	•	Octa	we ba	nd ce	nter fro	equenc	y (Hz)	
Panel construction	(mm)	$(\mathrm{kg}\mathrm{m}^{-2})$	63	125	250	500	1,000	2,000	4,000	8,000
	16 25	40 62.5	20 25	25 27	28 31	33 30	30 33	38 43	45 48	48 53
laminated glass	13	32		23	31	38	40	47	52	57
Doubled glazed windows										
2.44 mm panes, 7 mm	12	15	15	22	16	20	29	31	27	30
cavity 9 mm panes in separate frames, 50 mm cavity	62	34	18	25	29	34	41	45	53	50
6 mm glass panes in	112	34	20	28	30	38	45	45	53	50
separate frames, 100 mm cavity										
6 mm glass panes in separate frames,	200	34	25	30	35	41	48	50	56	56
188 mm cavity				•						
6 mm glass panes in	200	34	26	33	39	42	48	50	57	60
separate frames, 188 mm cavity with										
absorbent blanket in reveals										
6 mm and 9 mm panes in	215	42	27	36	45	58	59	55	66	70
separate frames, 200 mm cavity,										
absorbent blanket in reveals										· · · · · ·
3 mm plate glass, 55 mm cavity	63	25		13	25	35	44	49	43	
6 mm plate glass, 55 mm cavity	70	35		27	32	36	43	38	51	
6 mm and 5 mm glass, 100 mm cavity	112	34	*. · ·	27	37	45	56	56	60	
6 mm and 8 mm glass, 100 mm cavity	115	40		35	47	53	55	50	55	
Doors		· ·								
flush panel, hollow core, normal cracks as usually hung	43	9	0.9	12	13	14	16	18	24	26
solid hardwood, normal cracks as usually hung	43	28	13	17	21	26	29	31	34	32
typical proprietary "acoustic" door, double	100		37	36	39	44	49	54	57	60
heavy sheet steel skin absorbent in air space, and seals in heavy steel frame										

		Super-	14. 					1900		
	Thick- ness	ficial weight		Octa	ave ba	and ce	nter fr	equenc	y (Hz)	
Panel construction	(mm)	$(kg m^{-2})$	63	125	250	500	1,000	2,000	4,000	8,000
2-skin metal door	35	16		26	26	28	32	32	40	
plastic laminated flush wood door	44	20		14	18	17	23	18	19	
veneered surface, flush wood door	44	25		22	26	29	26	26	32	
metal door; damped	100	94		43	47	51	54	52	50	
skins, absorbent core,	180	140		46	51	59	62	65	62	
gasketing	250	181		48	54	62	68	66	74	
two 16 g steel doors with	270	86		50	56	59	67	60	70	
25 mm sound-absorbing material on each, and			- - -							
separated by 180 mm air gap									÷	
hardwood door	54	20		20	25	22	27	31	35	
	66	44		24	26	33	38	41	46	
	.7.7					20			10	
Floors										
T & G boards, joints sealed	21	13	17	21	18	22	24	30	33	63
T & G boards, 12 mm	235	31	15	18	25	37	39	45	45	48
plasterboard ceiling										••
under, with 3 mm										
plaster skin coat										
as above, with boards	240	35	20	25	33	38	45	56	61	64
"floating" on glass-										
wool mat										
concrete, reinforced	100	230	32	37	36	45	52	59	62	63
	200	460	36	42	41	50	57	60	65	70
	300	690	37	40	45	52	59	63	67	72
126 mm reinforced	190	420	35	38	43	48	54	61	63	67
concrete with "floating" screed										
200 mm concrete slabs	200	280		34	39	46	53	59	64	65
as above, but oak surface	212	282		34	41	46	55	64	70	
as above, but carpet +	200	281		34	36	46	55	66	72	
hair felt underlay										
instead of oak surface										
gypsum ceiling, mounted resiliently, and vinyl	318			30	36	45	52	47	65	
finished wood joist floor with glassfiber										
insulation and 75 mm									r	<b>16</b> .
plywood										